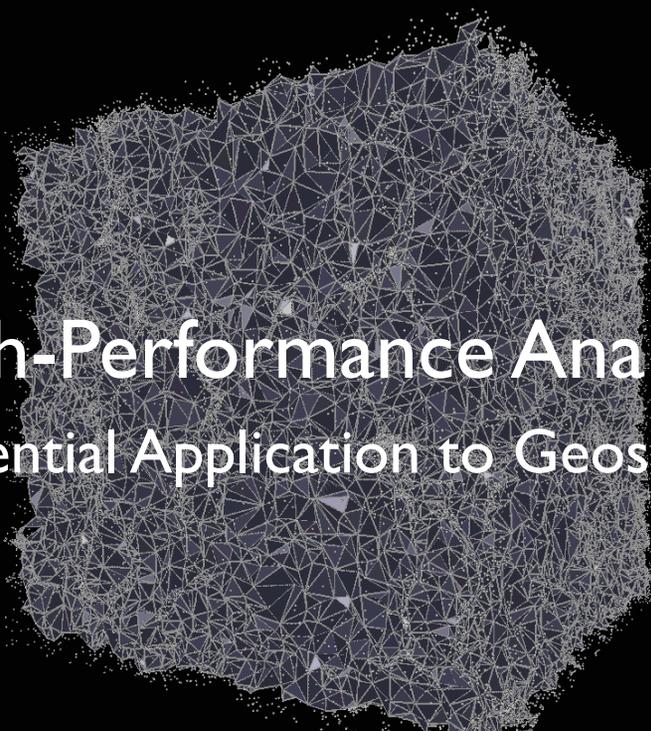


The purpose of computing is insight, not numbers.

Richard Hamming



High-Performance Analytics

with Potential Application to Geospatial Data

HPC Geospatial Analytics Workshop

April 29, 2014

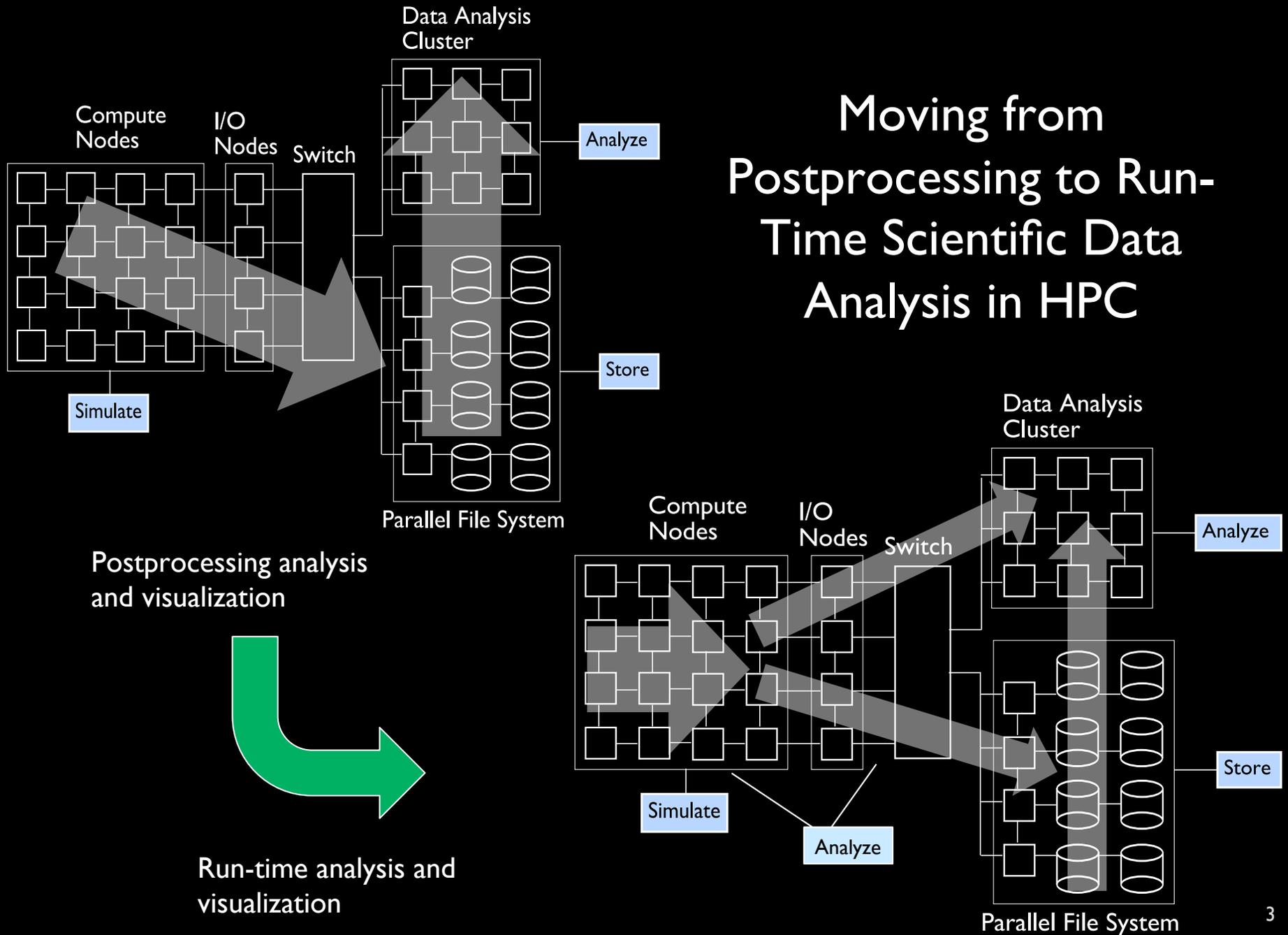
Tom Peterka

tpeterka@mcs.anl.gov

Mathematics and Computer Science Division

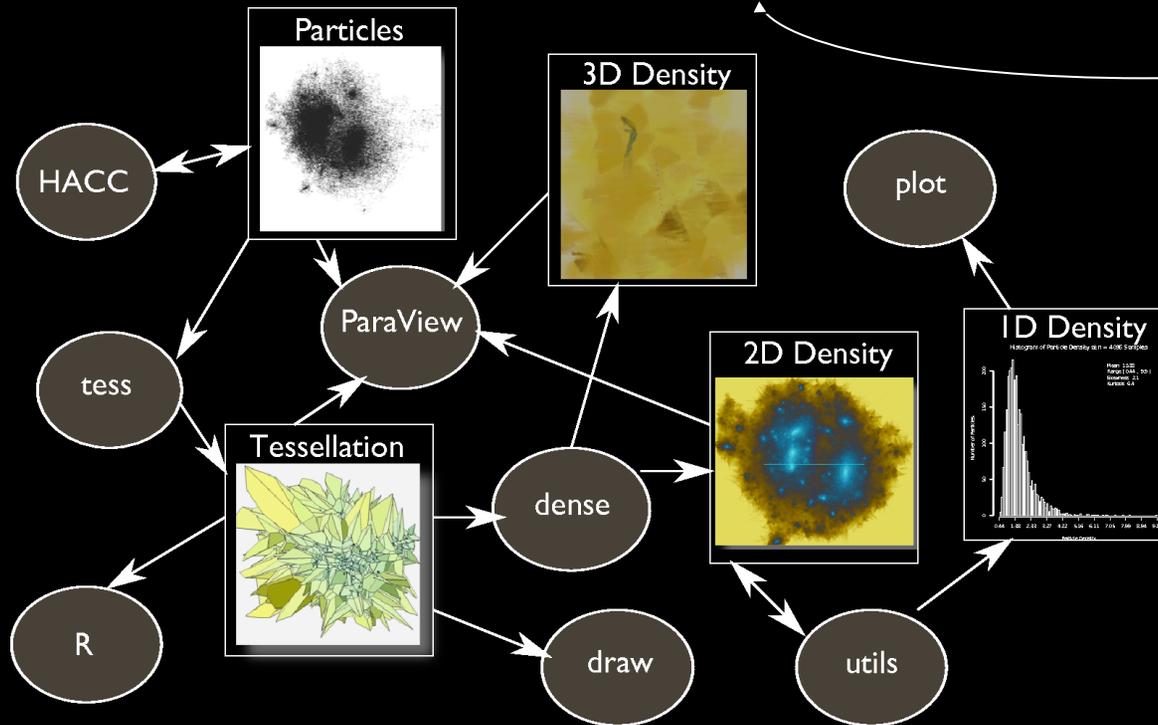
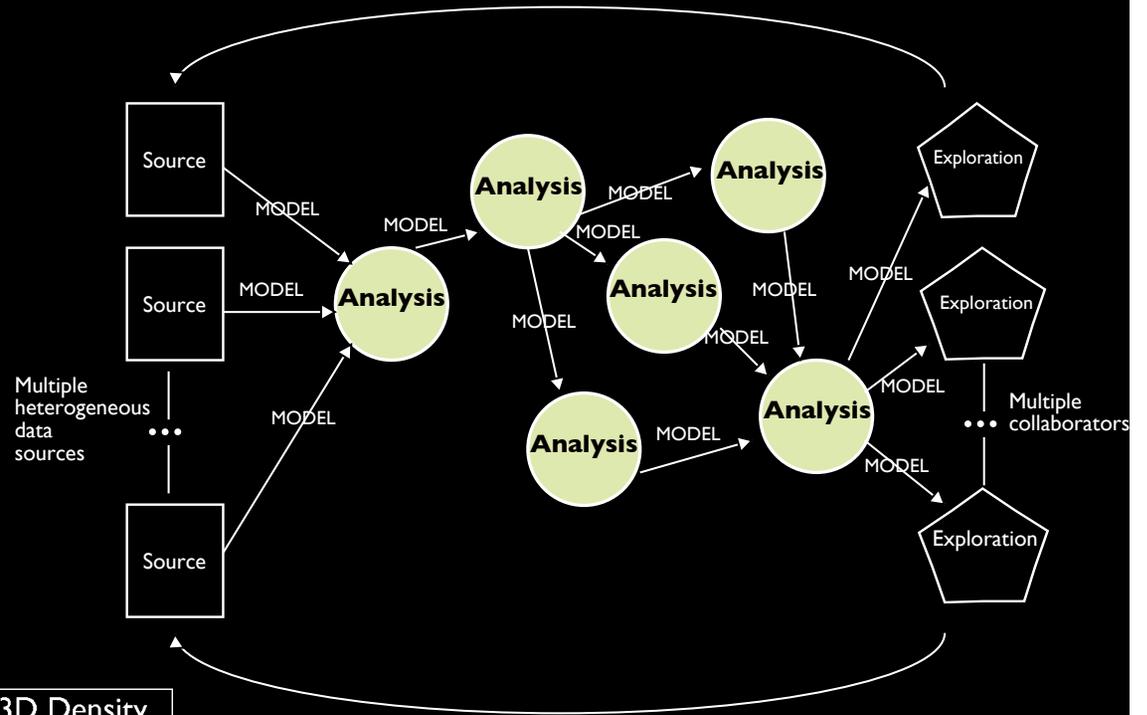
Preliminaries

Moving from Postprocessing to Run-Time Scientific Data Analysis in HPC



Definition of Data Analysis

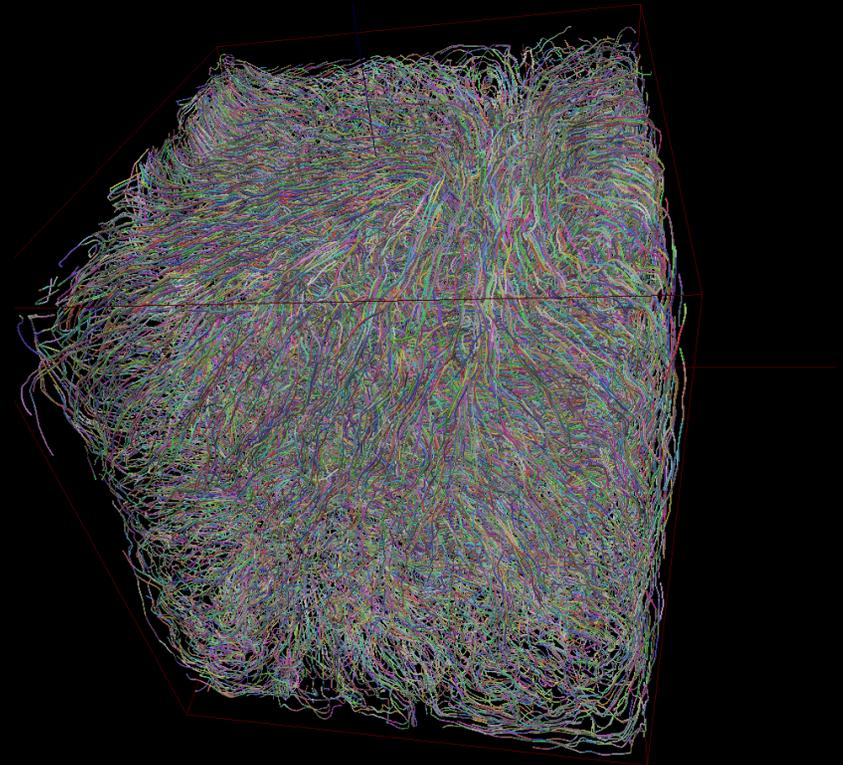
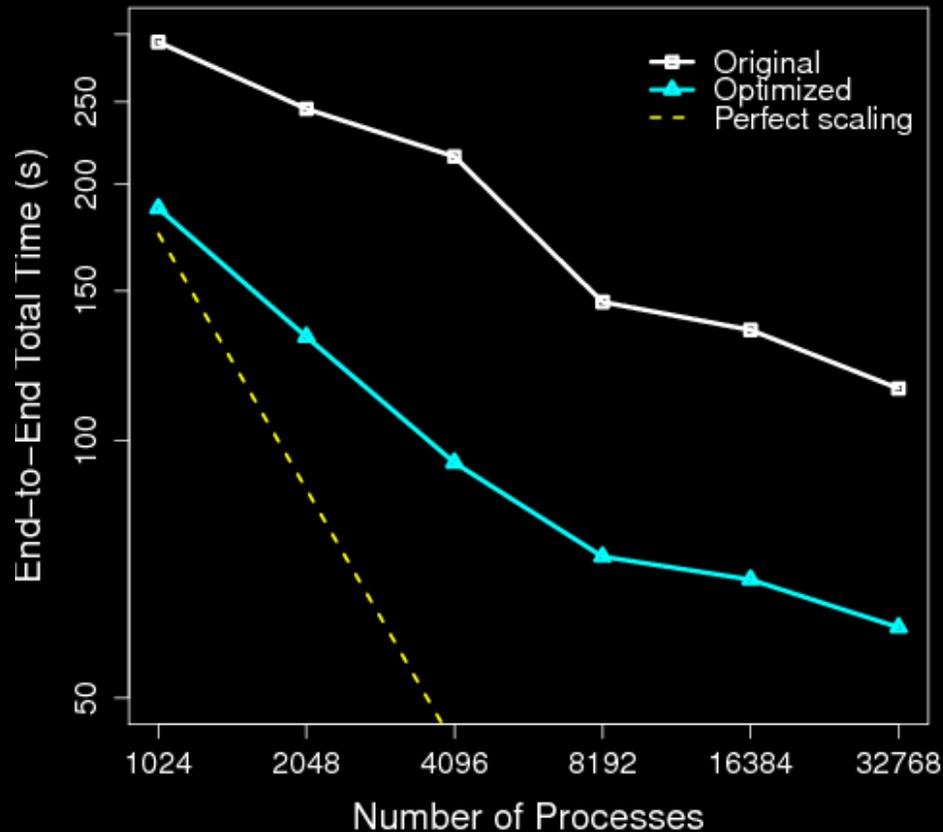
- Any data transformation, or a network or transformations.
- Anything done to original data beyond its original generation.
- Can be visual, analytical, statistical, or data management.



Some Examples

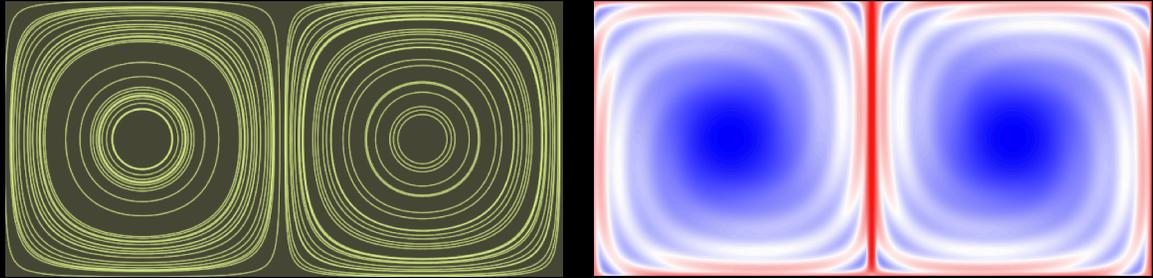
Particle Tracing Streamlines and Pathlines

Strong Scaling

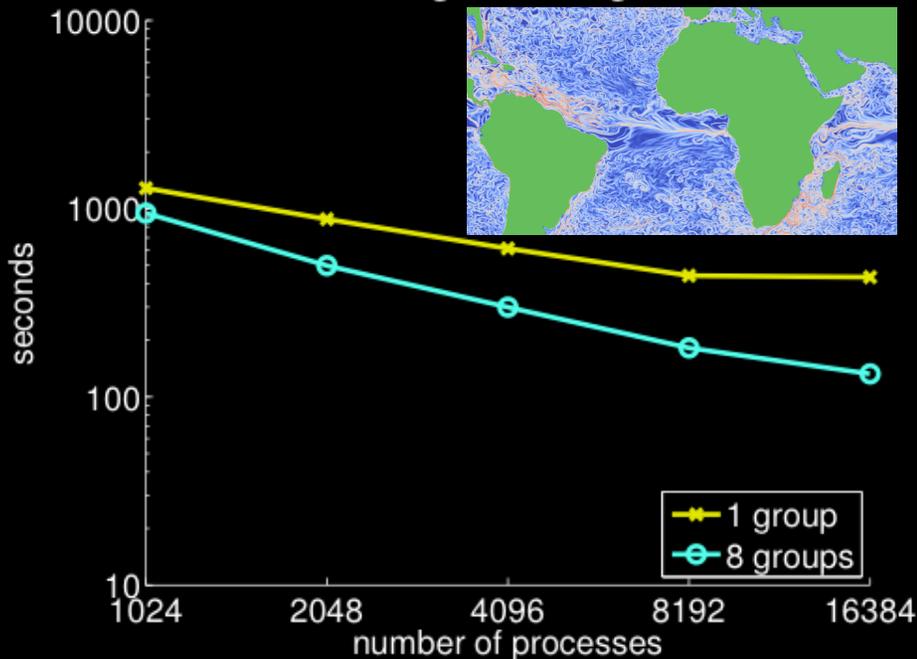


Particle tracing of $\frac{1}{4}$ million particles in a 2048^3 thermal hydraulics dataset results in strong scaling to 32K processes and an overall improvement of 2X over earlier algorithms

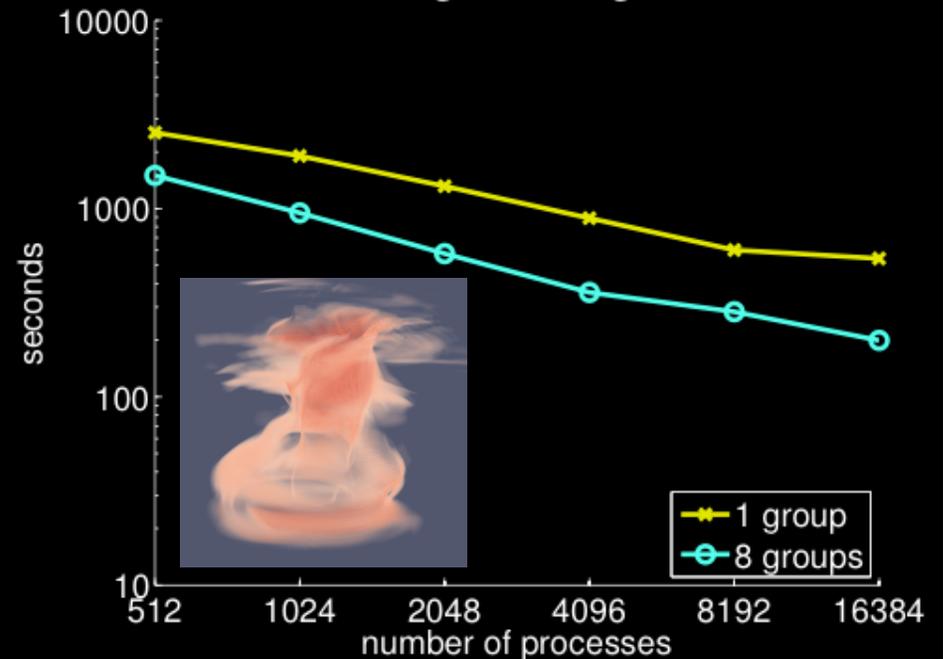
Lagrangian Coherent Structures from FTLE



Ocean: Strong Scaling Total Time

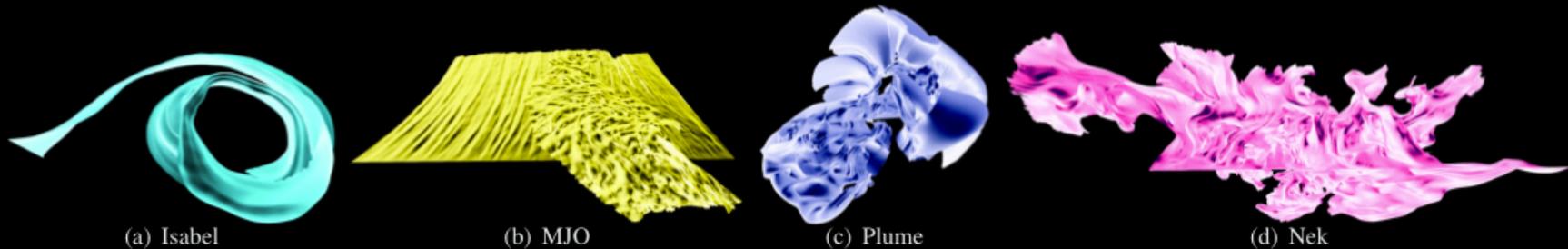


Isabel: Strong Scaling Total Time

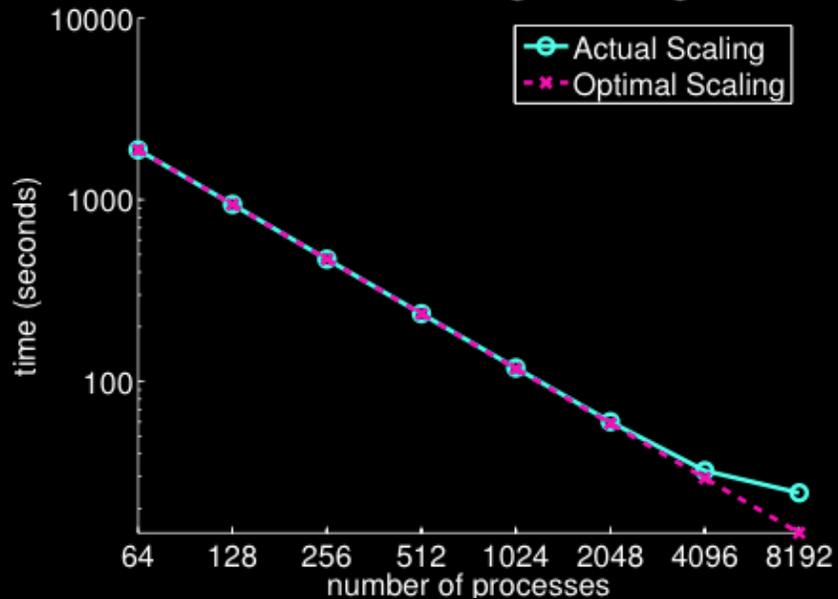


Left: Particle tracing of 288 million particles over 36 time steps in a 3600x2400x40 eddy resolving dataset. Right: 131 million particles over 48 time steps in a 500x500x100 simulation of Hurricane Isabel. Time includes I/O.

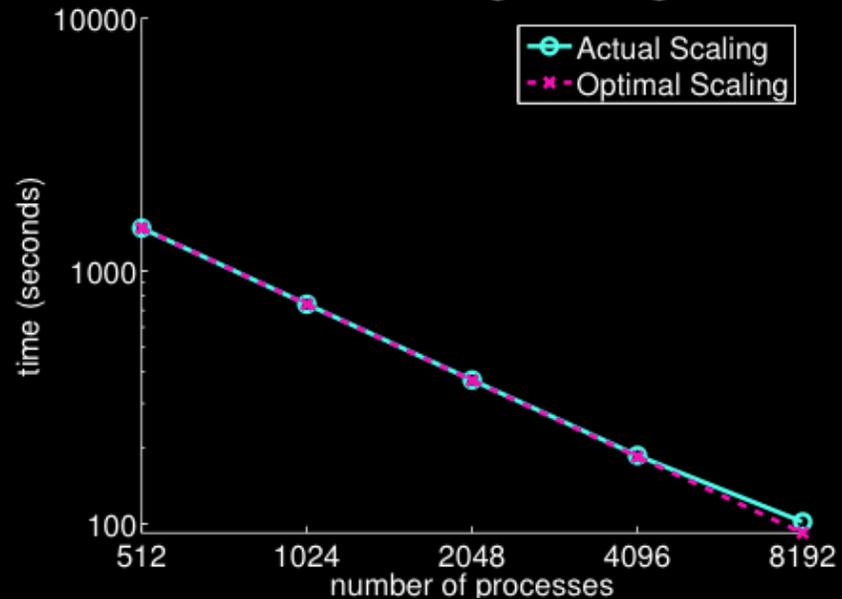
Stream Surfaces



Plume: Strong Scaling



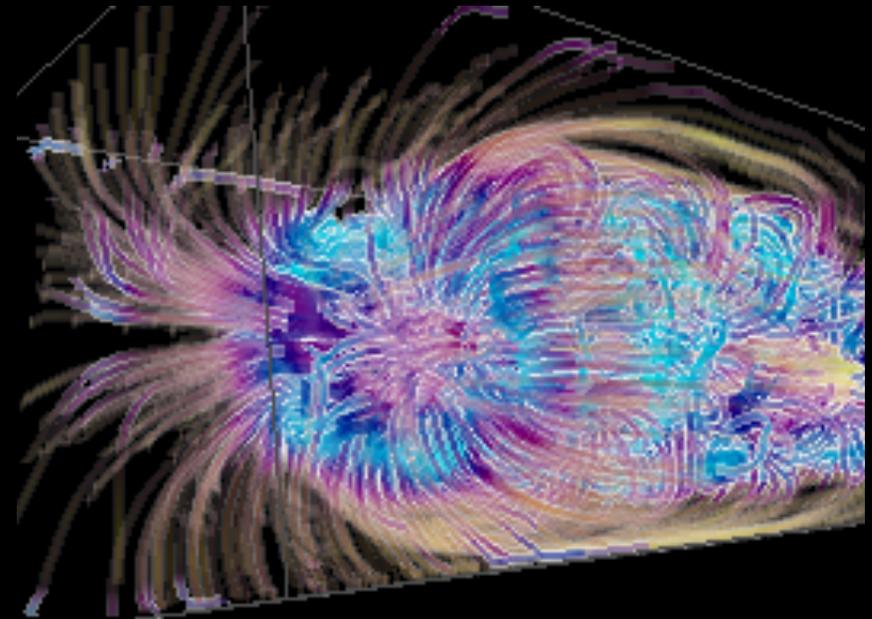
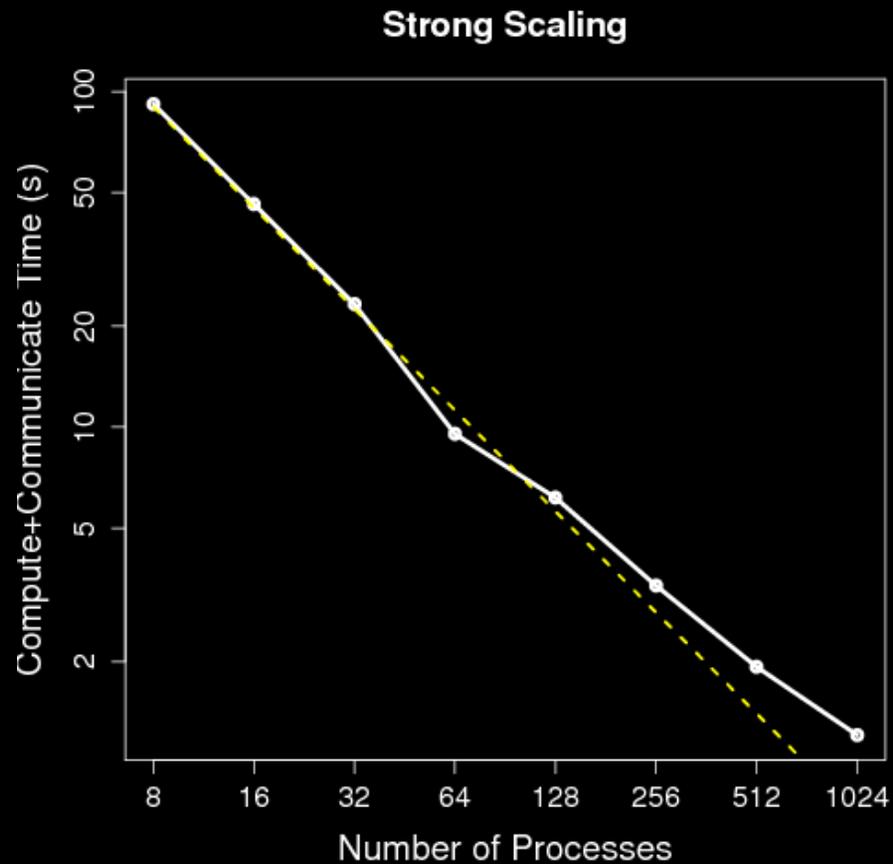
Nek: Strong Scaling



Left: 64 surfaces each seeded with 512 particles are advected in a $504 \times 504 \times 2048$ simulation of a solar flare. Right: 64 surfaces each with 2K seeds in a $2K \times 2K \times 2K$ Nek5000 thermal hydraulics simulation. Time excludes I/O.

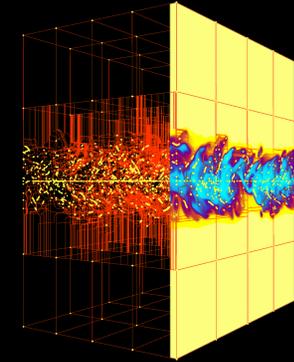
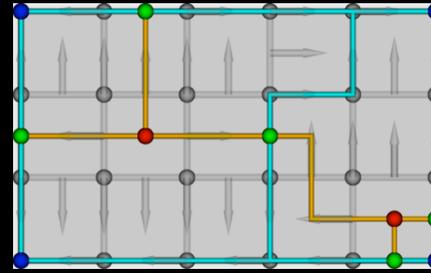
Lu et al., Scalable Computation of Stream Surfaces on Large Scale Vector Fields, submitted to SC14.

Information Entropy

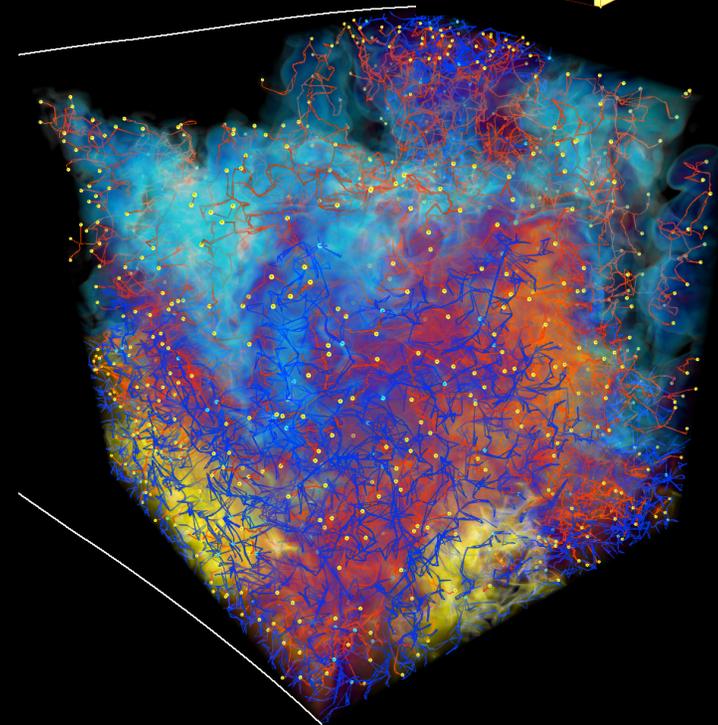
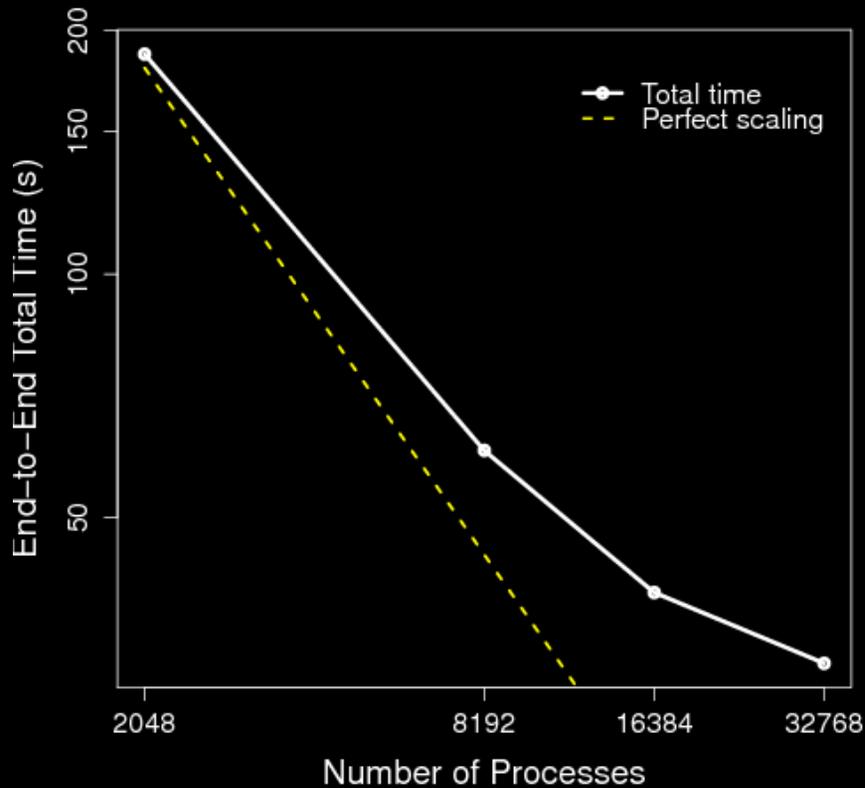


Computation of information entropy in $126 \times 126 \times 512$ solar plume dataset shows 59% strong scaling efficiency. Time excludes I/O.

Topological Analysis



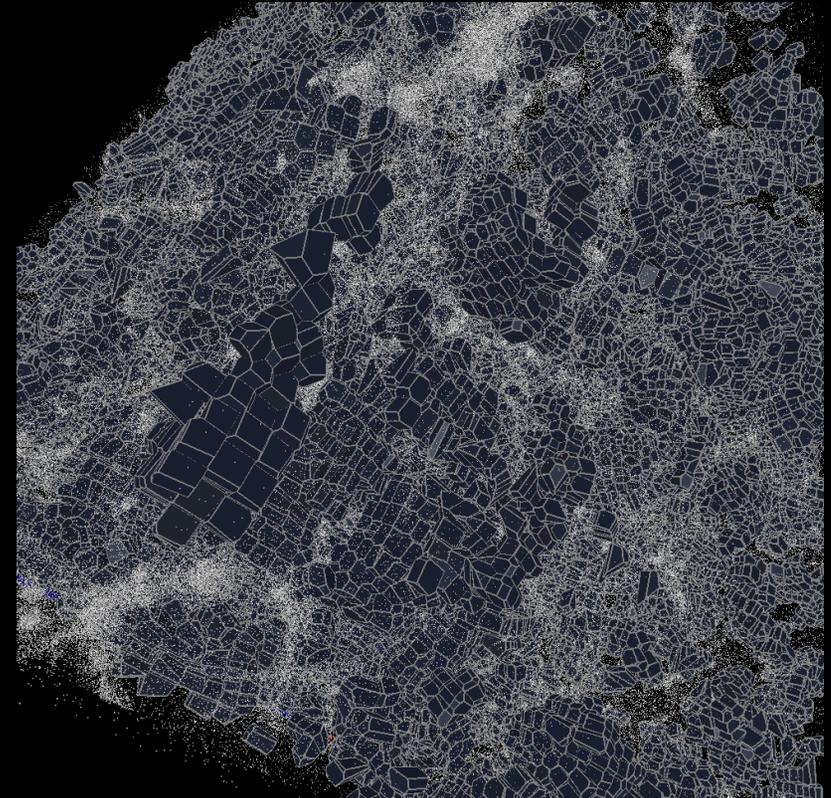
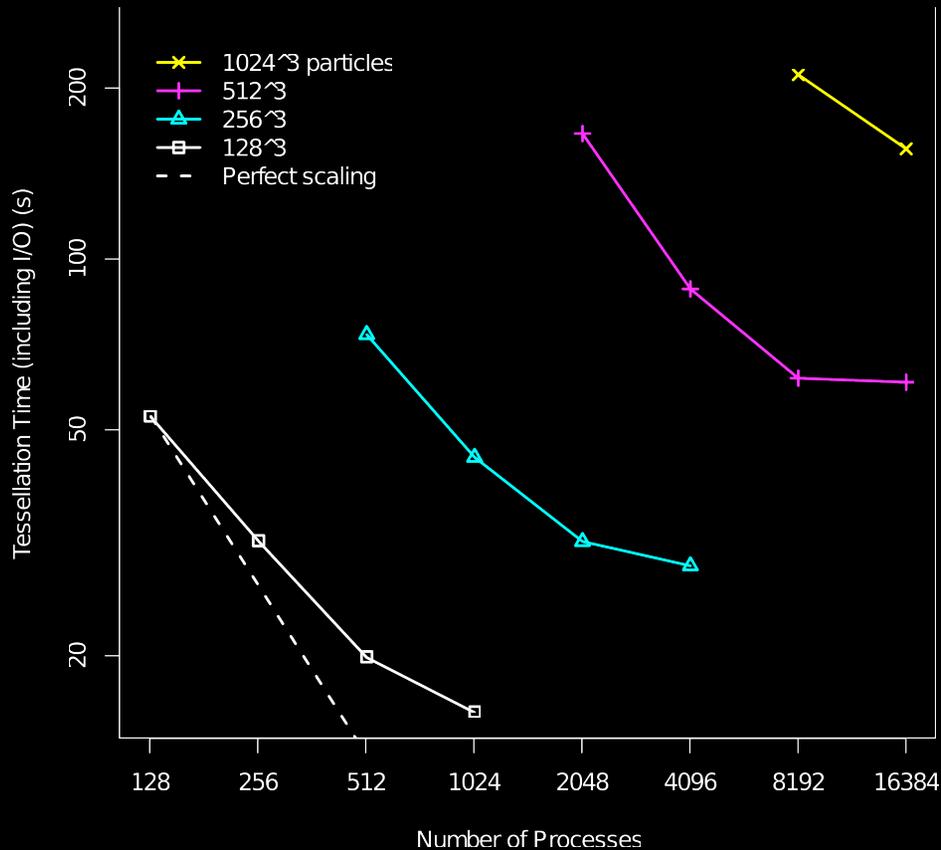
Strong Scaling



Computation of Morse-Smale complex in 1152^3 Rayleigh-Taylor instability data set results in 35% end-to-end strong scaling efficiency, including I/O.

Computational Geometry

Strong Scaling

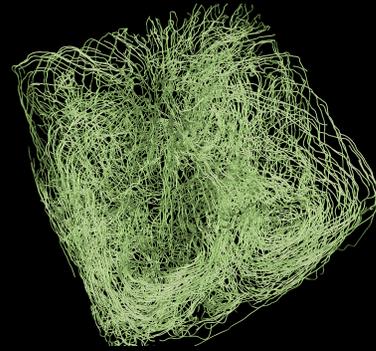


For 128³ particles, 41 % strong scaling for total tessellation time, including I/O; comparable to simulation strong scaling.

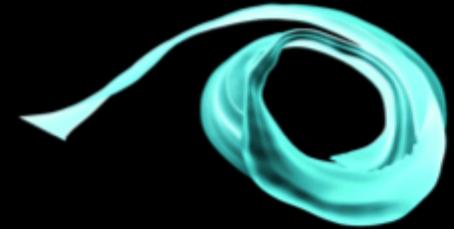
Peterka et al., High-Performance Computation of Distributed-Memory Parallel 3D Voronoi and Delaunay Tessellation, submitted to SC14,

Common Denominators

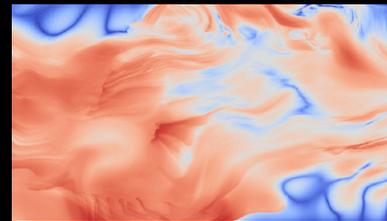
- Big science => big data, big machines
- Most analysis algorithms are not up to speed
 - Either serial, or
 - Overheads kill scalability
- Solutions
 - Process data closer to the source
 - Write scalable analysis algorithms
 - Parallelize in various forms
 - Build software stacks of useful and reusable layers
- Usability and workflow
 - Develop libraries rather than tools
 - Users write small main programs and call into libraries



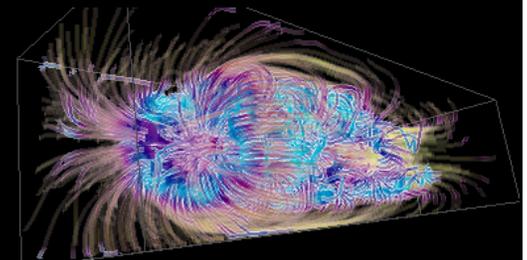
Streamlines and pathlines



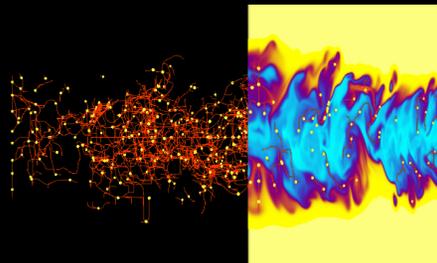
Stream surfaces



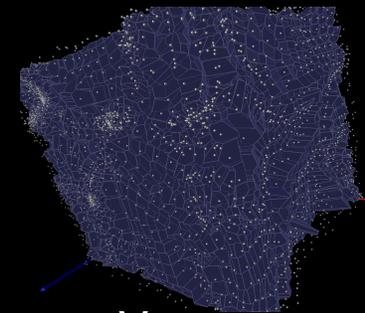
FTLE



Information entropy



Morse-Smale complex



Voronoi Tessellation

Core Infrastructure

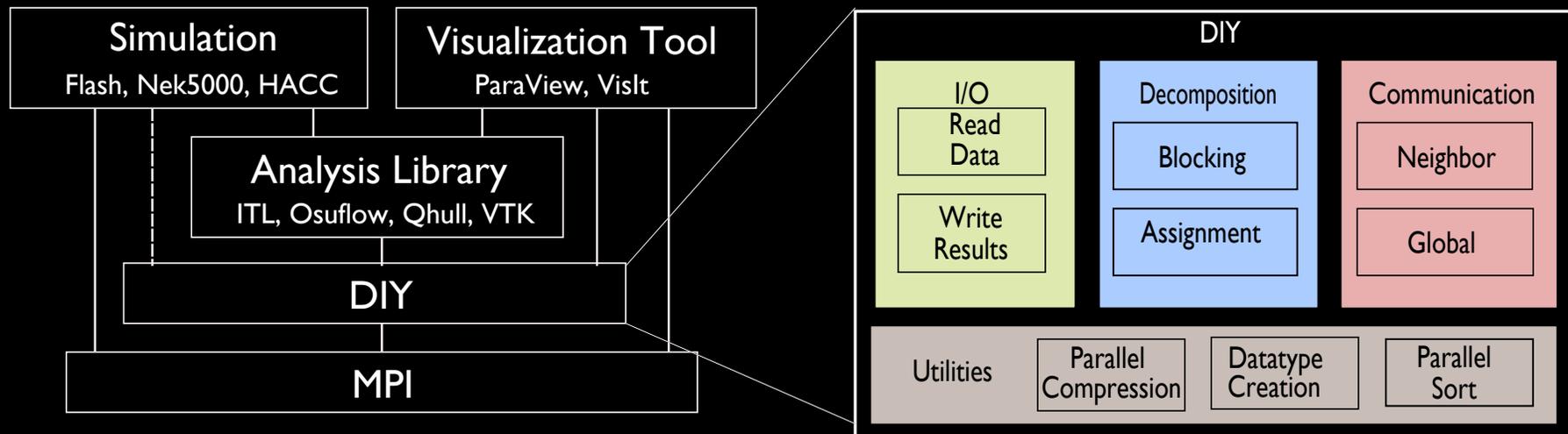
A library with a small ℓ

Features

Parallel I/O to/from storage
Domain decomposition
Network communication
Utilities

Library

Written in C++ with C bindings
Autoconf build system (configure, make, make install)
Lightweight: libdiy.a 800KB
Maintainable: ~15K lines of code, including examples



DIY usage and library organization

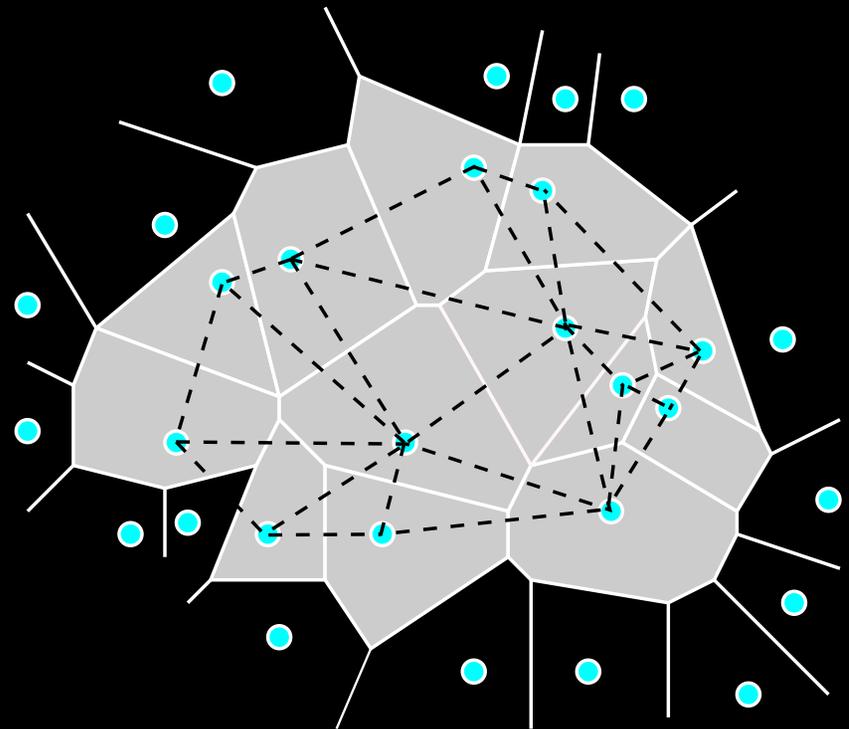
One Example in Greater Detail

Parallel Tesselation

We developed a prototype library for computing in situ Voronoi and Delaunay tessellations from particle data and applied it to cosmology, molecular dynamics, and plasma fusion.

Key Ideas

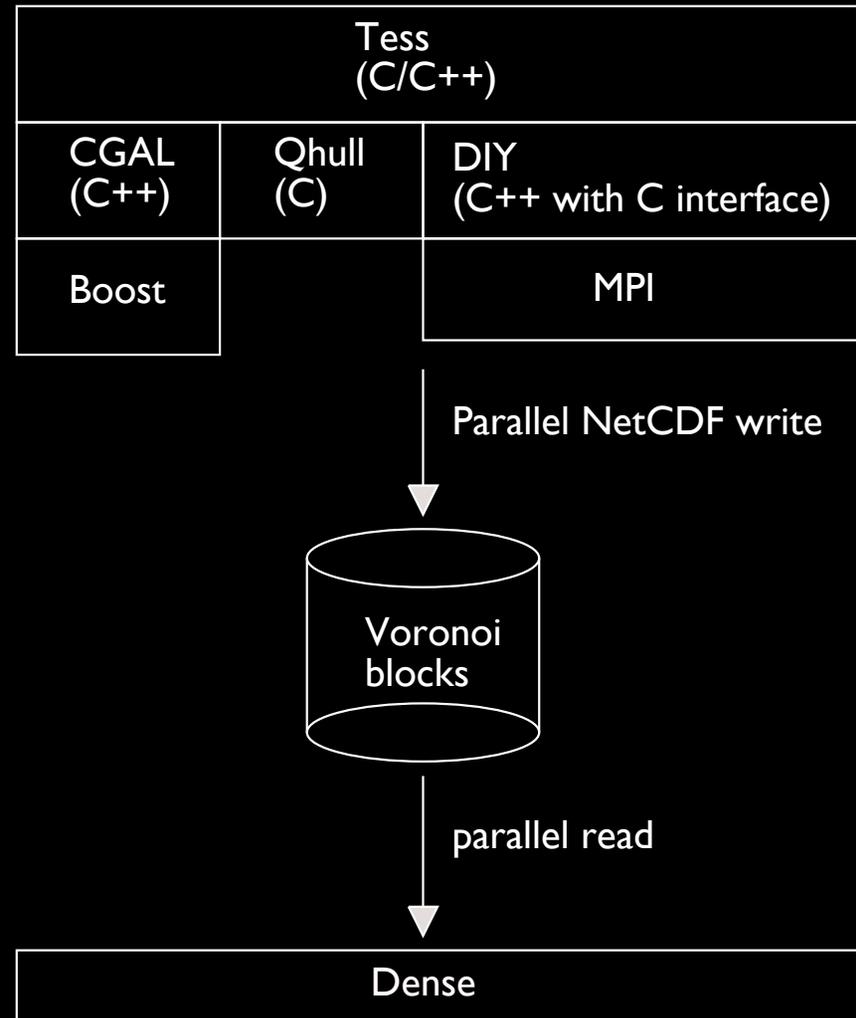
- Mesh tessellations convert sparse point data into continuous dense field data.
- Meshing output of simulations is data-intensive and requires supercomputing resources
- No large-scale data-parallel tessellation tools exist.
- We developed such a library, tess.
- We achieved good parallel performance and scalability.
- Widespread GIS applicability in addition to the datasets we tested.



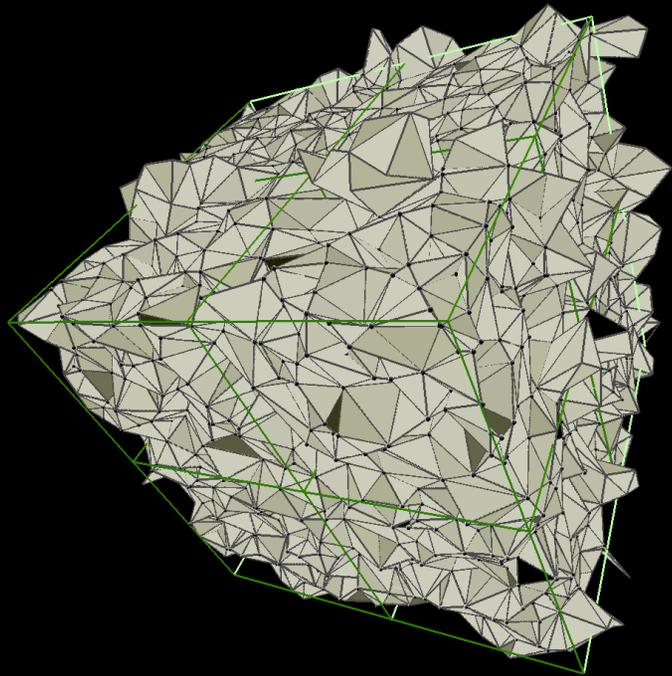
Tess Library

Tess is our parallel library for large-scale distributed-memory Voronoi and Delaunay tessellation.

Dense, our density estimator, currently reads the tessellation from disk and estimates density onto a regular grid. Eventually dense will be converted to a library that can be coupled in memory to tess output, saving the tessellation storage.

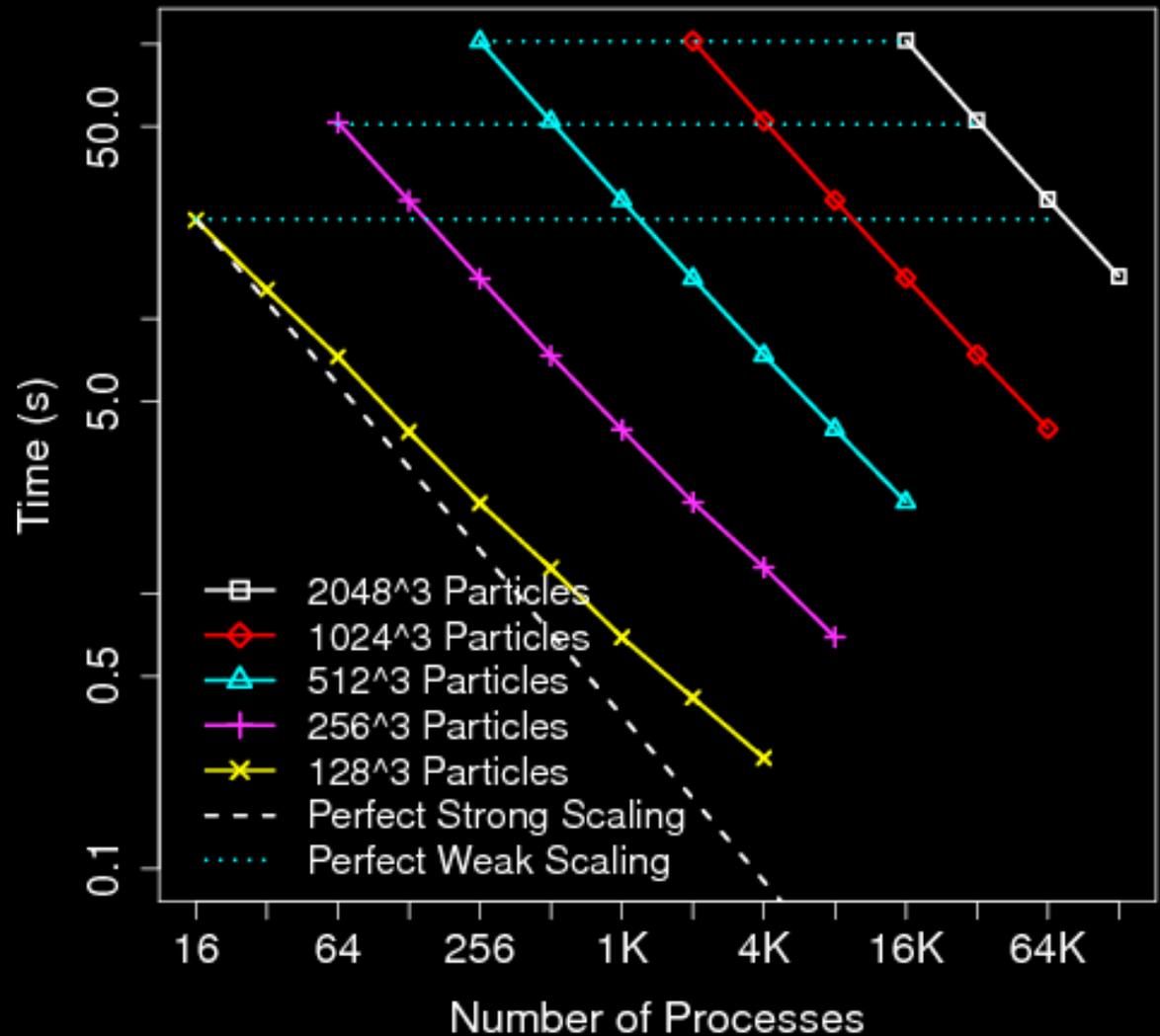


Scalability



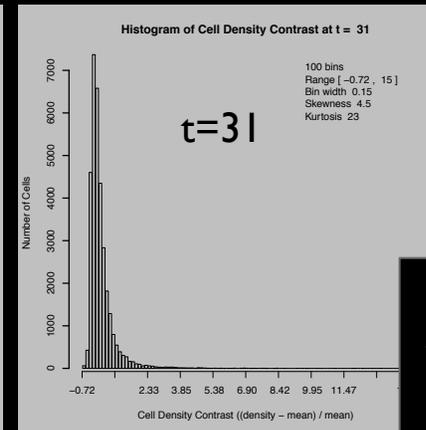
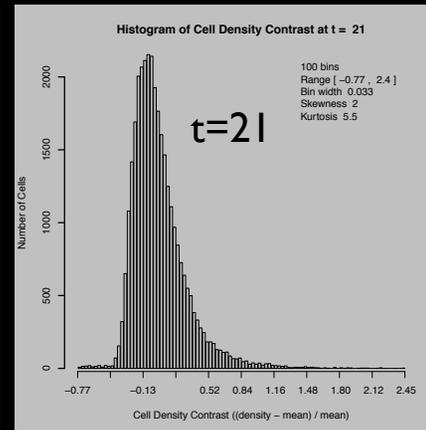
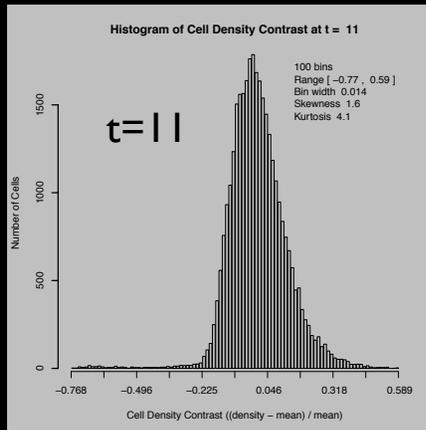
Strong and weak scaling for up to 2048^3 synthetic particles and up to 128K processes (excluding I/O) shows up to 90% strong scaling and up to 98% weak scaling.

Strong and Weak Scaling with CGAL

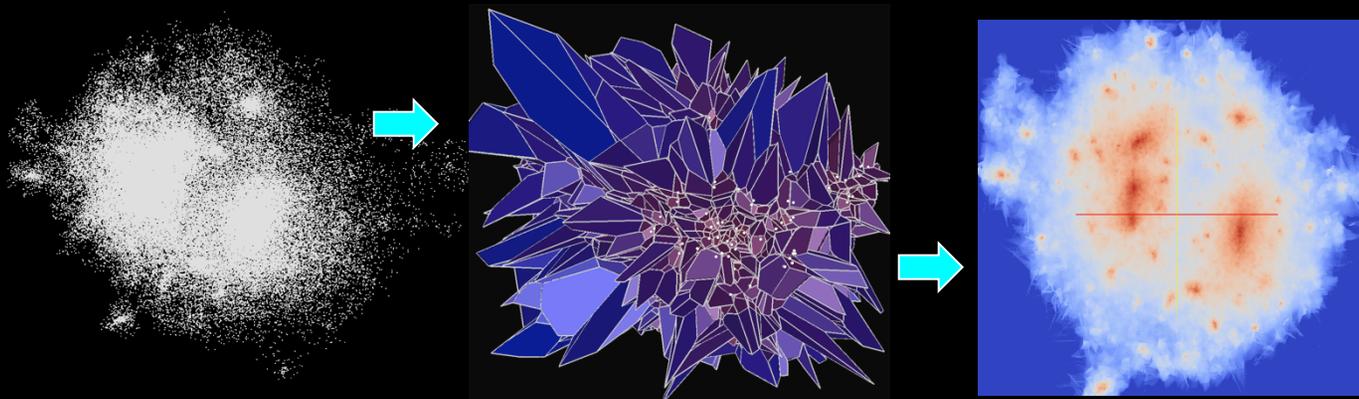
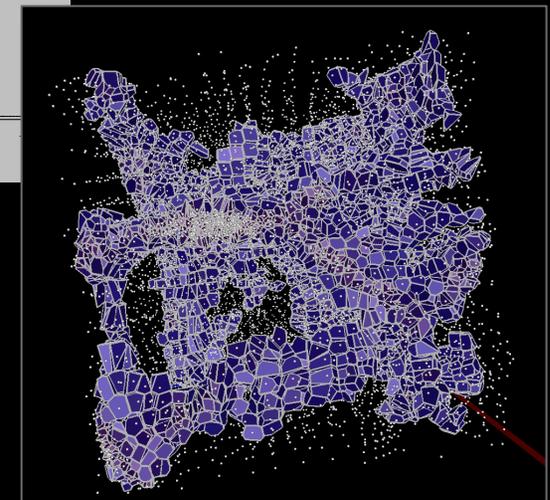


Applications in Cosmology

Feature statistics: Total volume, surface area, curvature, topology of connected components of Voronoi cells classify and quantify features.



Temporal structure dynamics: As time progresses, the range of cell volume and density expands, kurtosis and skewness increases. These statistics are consistent with the governing physics of the formation of high- and low-density structures over time and can perhaps be used to summarize evolution at given time steps.



Density estimation: Tessellations as intermediate representations enable accurate regular grid density estimators.

Using Tessellation as a Density Estimator for Regular Grids

sampling a regular density field from a distribution of particle positions using a Voronoi tessellation as an intermediate data model.

Key Ideas

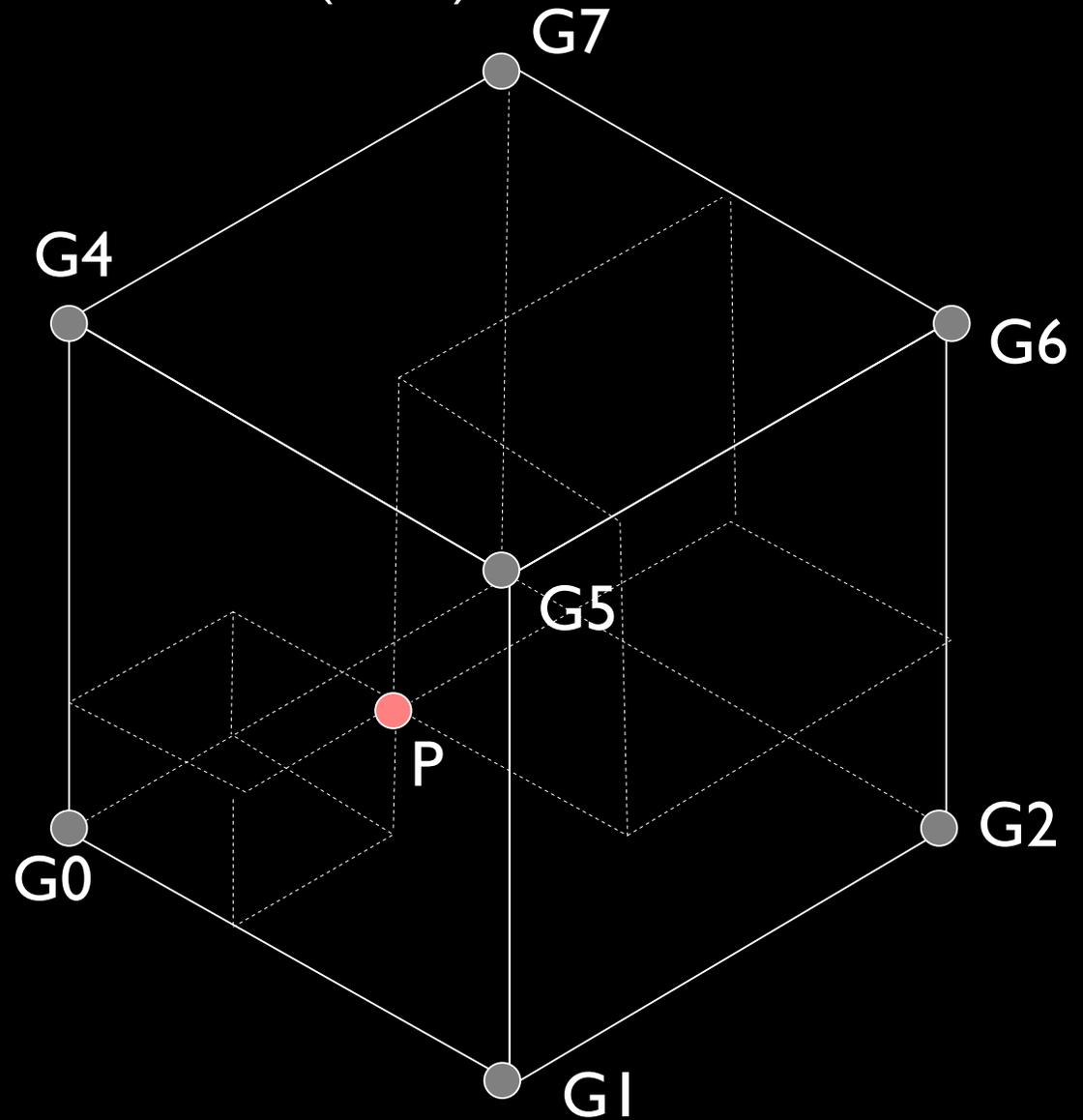
- Convert discrete particle data into continuous function that can be interpolated, differentiated, interpolated, represented as a regular grid (field)
- Automatically adaptive window size and shape
- Comparison with CIC using synthetic and actual data
- Voronoi tessellation and density estimation computed in parallel on distributed-memory HPC machines
- Many visualization and analysis applications are written for regular grids
- Applications in astrophysics, environmental science, social science

Cloud in Cell (CIC)

The mass of point P is distributed among nearest grid points $G_0 - G_7$.

The volume of the grid cube with corners $G_0 - G_7$, $v(G_0, G_7)$ is normalized to 1.0

The mass assigned to grid point G_i is
 $m(G_i) = 1.0 - v(G_i, P)$



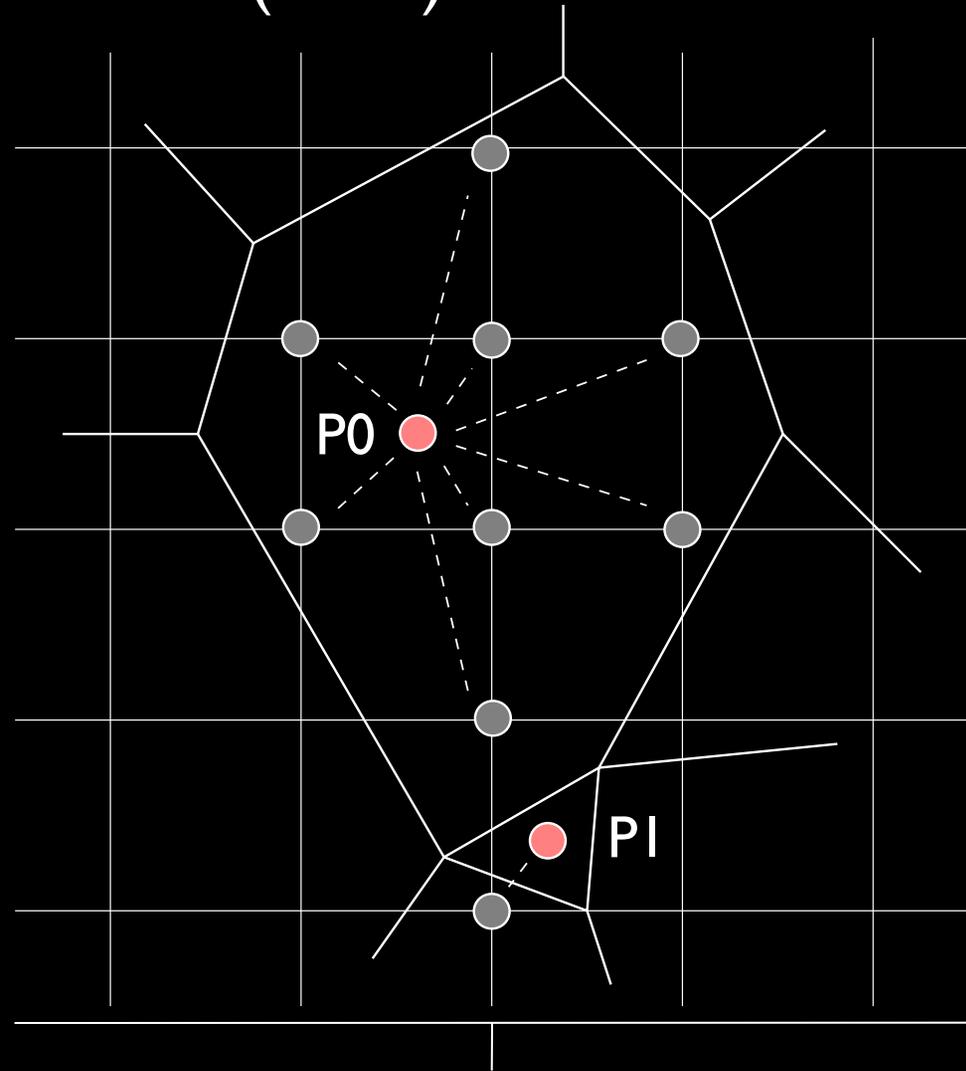
Tessellation (TESS)

Parameter free: no fixed window size determined by grid or number of particles

Kernel free: no smoothing kernel

Shape free: asymmetrical, no window or kernel shape

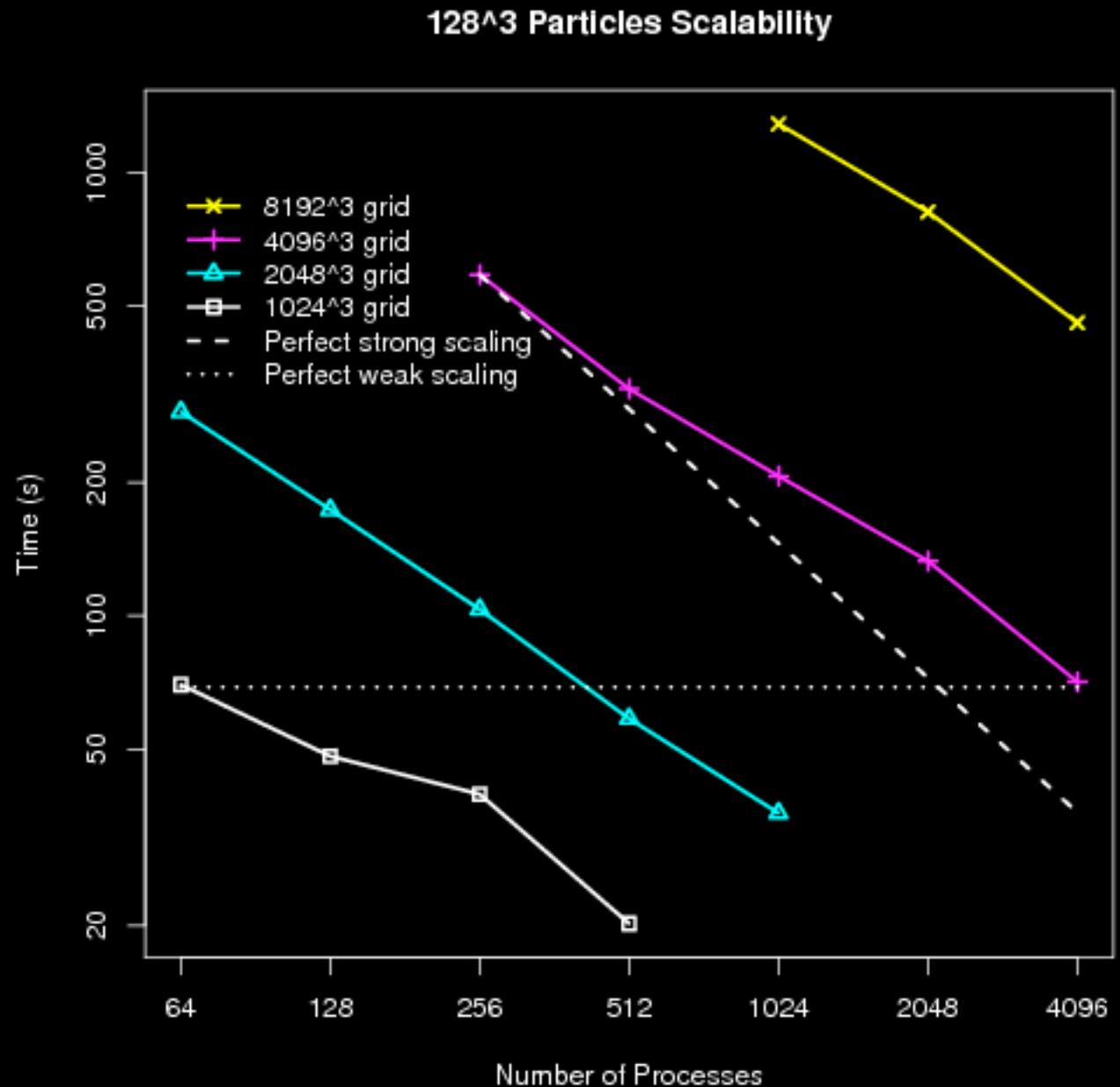
Automatically adaptive



P0 is a particle whose Voronoi cell covers several grid points. Its mass is uniformly distributed (zero-order estimation) to those grid points. P1 is a small cell that covers no grid points. Its mass is assigned to the nearest grid point.

Dense Strong and Weak Scaling

- 128^3 synthetic particles
- End-to-end time (including reading tessellation and writing image)
- 3D->2D projection
- 51% strong scaling (End-to-end) for 4096^3 grid



Navarro-Frenk-White (NFW)

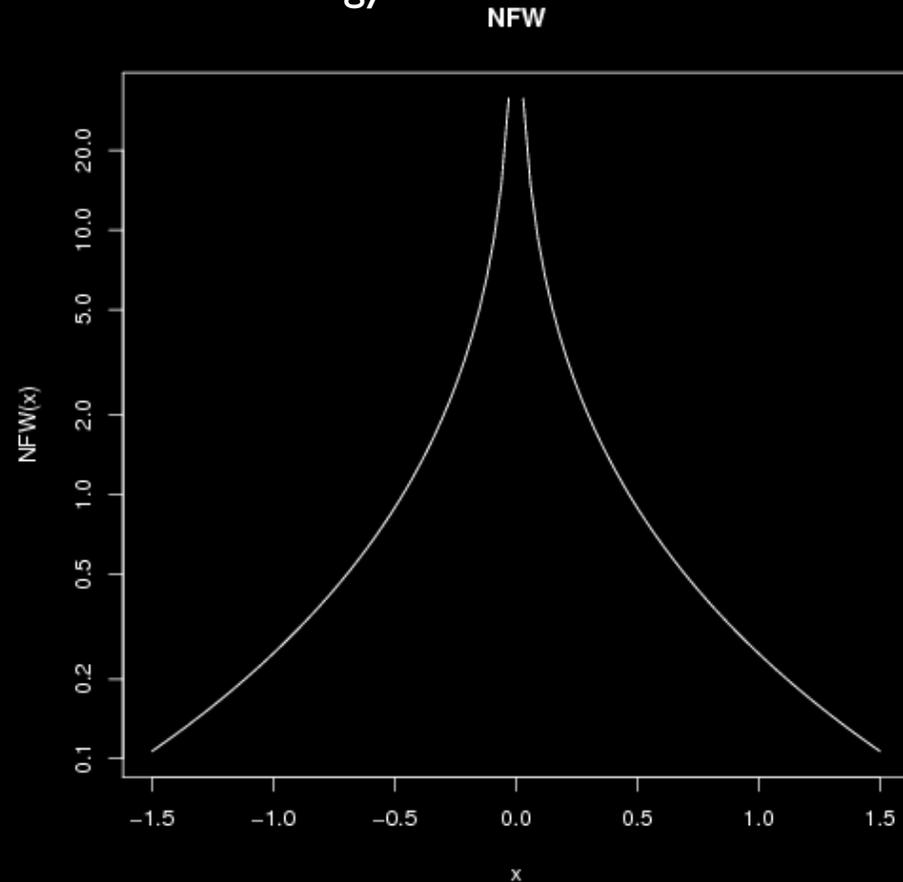
Our first synthetic dataset is derived from an analytical density function commonly used in cosmology.

k is a constant, 1 for us

$\rho(r)$ is Monte Carlo sampled to get test set of particles

Ground truth is 2D plot of $\rho(r)$

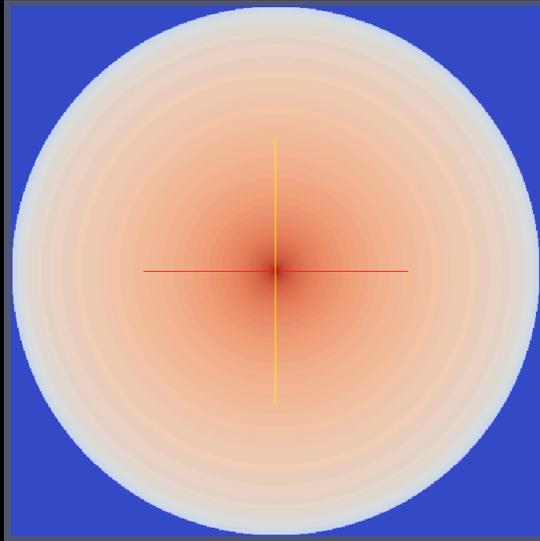
We limit r to $[-1.5, 1.5]$ and $\text{NFW}(r)$ to 10^6



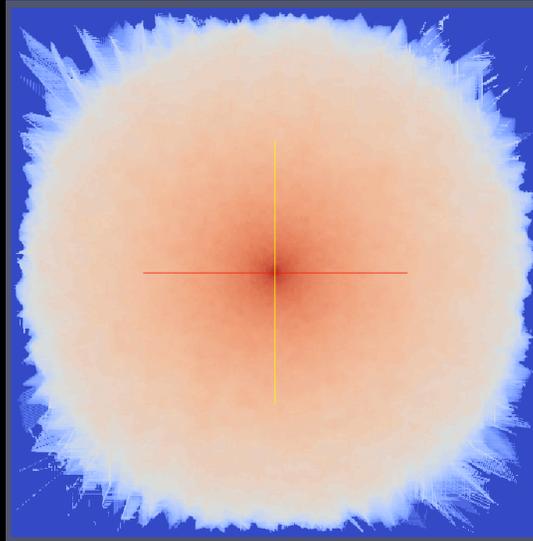
$$\rho(r) = \frac{k}{(r(r+1))^2}$$

Visual Comparison

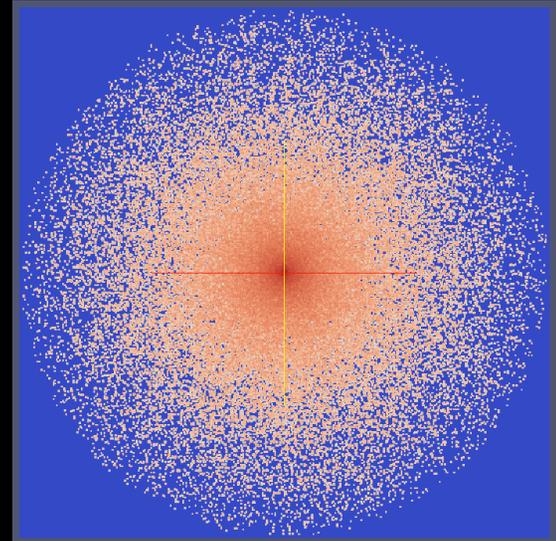
Analytical



TESS

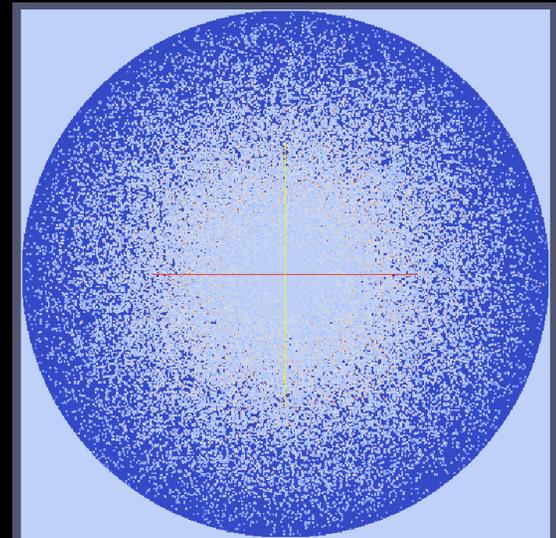
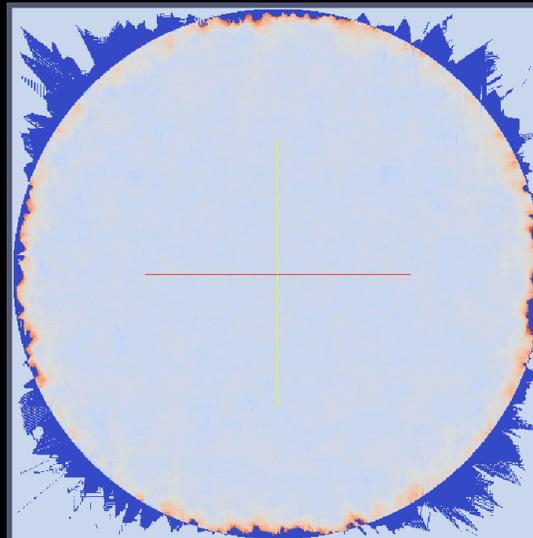


CIC



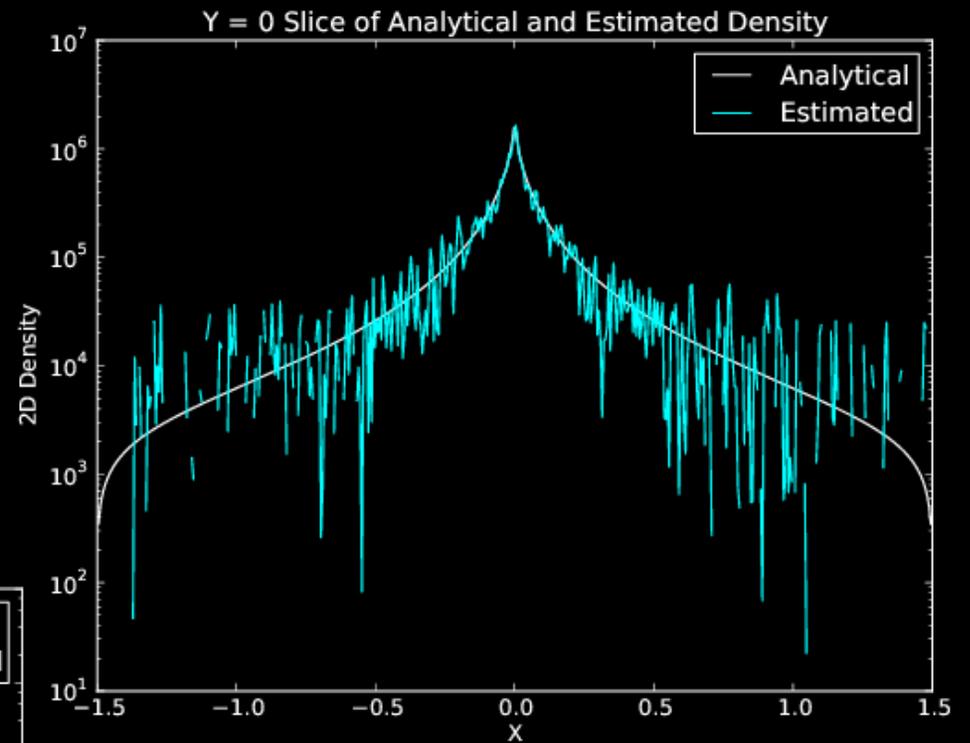
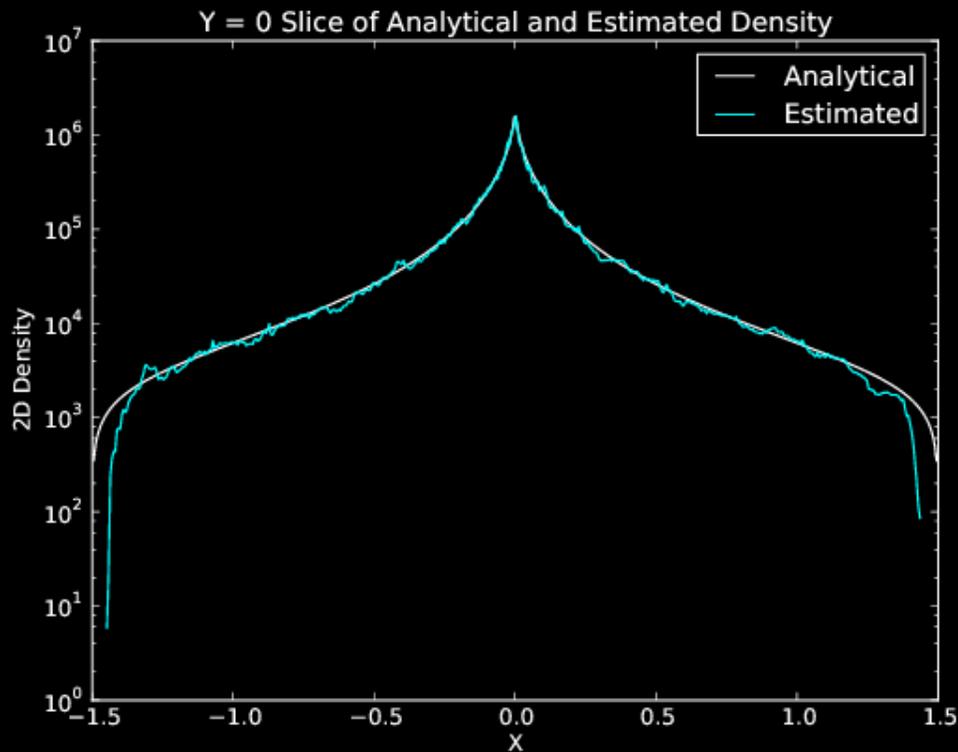
Top row:
 1024^3 3D density projected
to 1024^2 2D density field
and rendered in ParaView

Bottom row:
Ratio of analytical divided
by estimated density



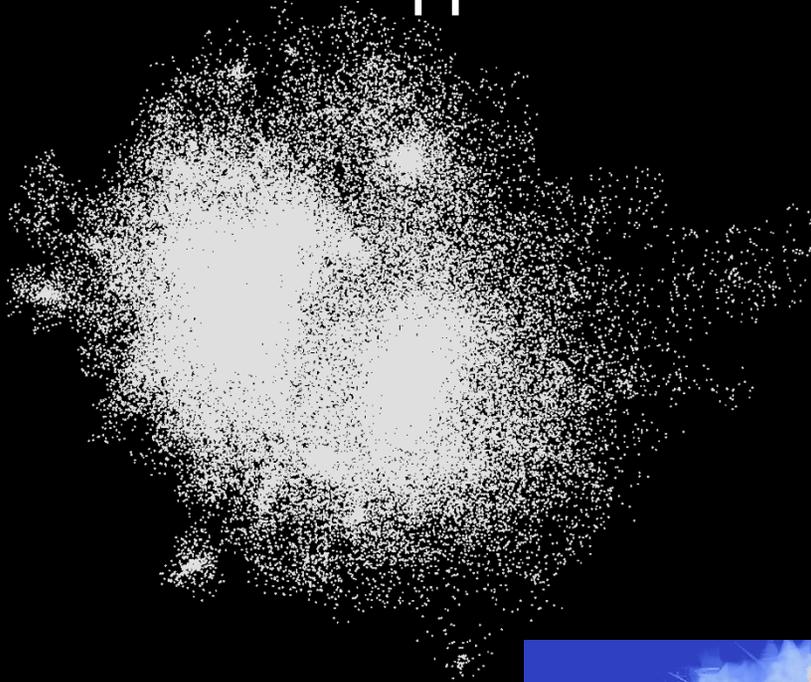
Analytical Comparison

Comparison between analytical 2D density and estimated density at $y = 0$ cross section for TESS

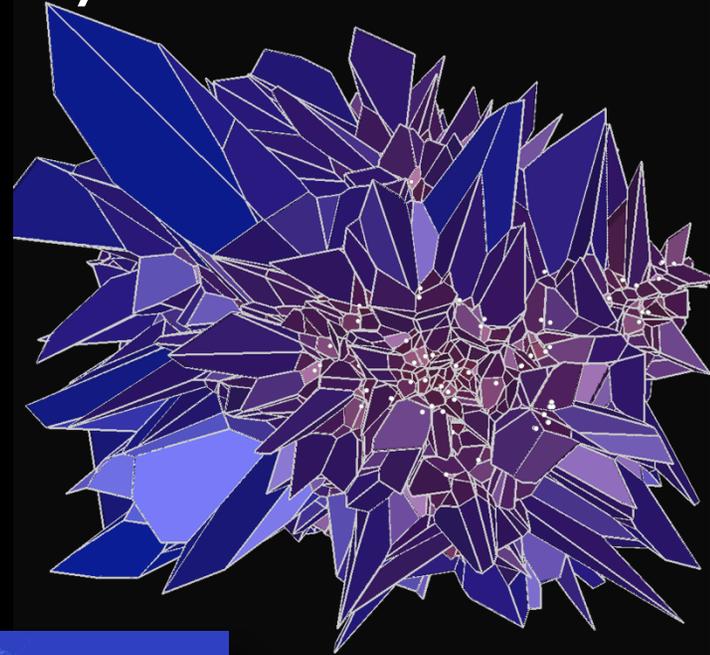


Same for CIC

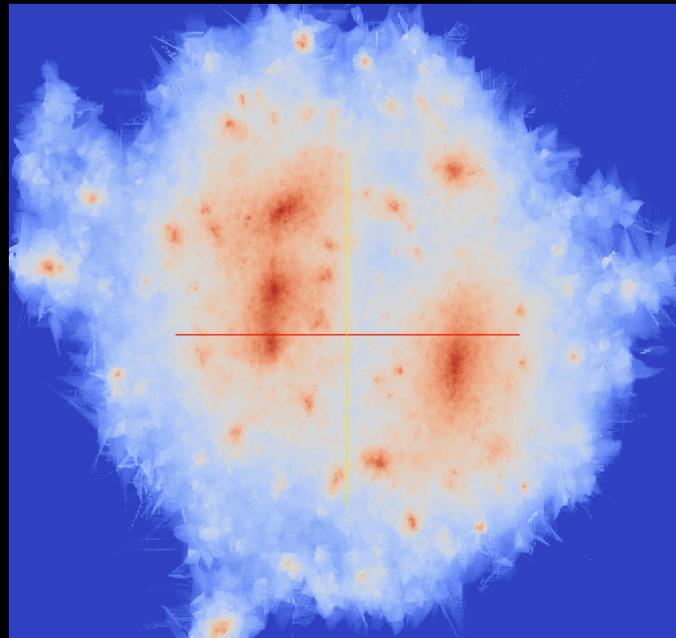
Application: 2D Density of Halo



Particle data from
HACC N-body
cosmology code from
halo ID 7445077095



Voronoi tessellation
of halo particles
colored by cell
volume



Final output
2D density
field for
lensing

Recap and Looking Ahead

Done: Benefits

- Productivity
 - Express complex algorithms flexibly
 - Simplify existing tasks
- Performance
 - Published scalability
 - Less data movement, earlier results
- Applications
 - Spatiotemporal data
 - Regular, unstructured, particle
 - Simulation and experiment

To Do: Research Directions

- Irregular communication patterns
 - Graphs
 - Load balancing, dynamic partitioning
- Stochastic, approximate algorithms
 - Limited resources
- Streaming and out of core algorithms
 - Temporal analysis
- Load balancing
 - Block overloading, dynamic reassignment
- Hybrid programming models
 - MPI + X
- Coupling analysis in workflows
 - Flexible coupling, decoupling

Further Reading

DIY

- Peterka, T., Ross, R., Kendall, W., Gyulassy, A., Pascucci, V., Shen, H.-W., Lee, T.-Y., Chaudhuri, A.: Scalable Parallel Building Blocks for Custom Data Analysis. Proceedings of Large Data Analysis and Visualization Symposium (LDAV'11), IEEE Visualization Conference, Providence RI, 2011.
- Peterka, T., Ross, R.: Versatile Communication Algorithms for Data Analysis. 2012 EuroMPI Special Session on Improving MPI User and Developer Interaction IMUDI'12, Vienna, AT.

DIY applications

- Peterka, T., Ross, R., Nouanesengsey, B., Lee, T.-Y., Shen, H.-W., Kendall, W., Huang, J.: A Study of Parallel Particle Tracing for Steady-State and Time-Varying Flow Fields. Proceedings IPDPS'11, Anchorage AK, May 2011.
- Gyulassy, A., Peterka, T., Pascucci, V., Ross, R.: The Parallel Computation of Morse-Smale Complexes. Proceedings of IPDPS'12, Shanghai, China, 2012.
- Nouanesengsy, B., Lee, T.-Y., Lu, K., Shen, H.-W., Peterka, T.: Parallel Particle Advection and FTLE Computation for Time-Varying Flow Fields. Proceedings of SCI2, Salt Lake, UT.
- Peterka, T., Kwan, J., Pope, A., Finkel, H., Heitmann, K., Habib, S., Wang, J., Zagaris, G.: Meshing the Universe: Integrating Analysis in Cosmological Simulations. Proceedings of the SCI2 Ultrascale Visualization Workshop, Salt Lake City, UT.
- Chaudhuri, A., Lee-T.-Y., Zhou, B., Wang, C., Xu, T., Shen, H.-W., Peterka, T., Chiang, Y.-J.: Scalable Computation of Distributions from Large Scale Data Sets. Proceedings of 2012 Symposium on Large Data Analysis and Visualization, LDAV'12, Seattle, WA.

I have had my results for a long time: but I do not yet know how
I am to arrive at them. Carl Friedrich Gauss.

Acknowledgments:

Facilities

Argonne Leadership Computing Facility (ALCF)
Oak Ridge National Center for Computational Sciences (NCCS)

Funding

DOE SDMAV Exascale Initiative
DOE Exascale Codesign Center
DOE SciDAC SDAV Institute

<https://svn.mcs.anl.gov/repos/diy/trunk>

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HPC Geospatial Analytics Workshop

April 29, 2014

Mathematics and Computer Science Division